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# Slow Magnetic Relaxations in Manganese(III) Tetra(meta-fluorophenyl) porphyrin-tetracyanoethenide. Comparison with the Relative Single Chain Magnet ortho Compound

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**S** Supporting Information



ABSTRACT: Mn(III) tetra(*meta-fluorophenyl*)porphyrin-tetracyanoethenide coordination polymer (abbreviated *meta-F*) was synthesized and crystallographically and magnetically characterized. The compound crystallizes in the space group  $C2/c$  with four equivalent molecules in the unit cell arranged along two symmetry related nonparallel linear chain directions. Magnetic properties were studied by SQUID dc magnetization and ac susceptibility techniques and high field-high frequency electron spin resonance (HF-ESR). Glassy transition to a ferromagnetic-like state is observed at 10 K accompanied by slow magnetic relaxations. The glassiness is interpreted as due to 3D domain wall pinning. In a bias dc magnetic field the width of the relaxation time distribution decreases and the relaxations become similar to the relaxations of the single chain magnet Mn(III) tetra(orthofluorophenyl)porphyrin-tetracyanoethenide (abbreviated ortho-F), for which comparative HF-ESR studies were also conducted in this work. Magnetic properties of these two compounds are compared, and the nature of magnetic relaxations in meta-F is discussed.

# 1. INTRODUCTION

It is well-known that 1-dimensional systems do not display longrange magnetic order. Nevertheless, ferro- or ferrimagnetic chains comprising in their structure highly anisotropic ions of transition elements are of great interest due to slow magnetic relaxations. These systems, known as single chain magnets (SCM), are intensively investigated since 2001.<sup>1</sup>

One of the rich families of 1-dimensional magnetic systems are coordination polymers compo[se](#page-10-0)d of Mn porphyrin−radical molecule pairs. Plenty of such compounds may be obtained by various substitutions, and their magnetic properties may be tuned in a broad range, as shown by Miller et al., who synthesized many compounds of this family and characterized them structurally and magnetically.<sup>2−5</sup> Haase et al. synthesized Mn-porphyrin−TCNE compounds (TCNE-tetracyanoethenide) with long alkoxy chains att[ache](#page-10-0)d at the porphyrin ring periphery at the para position of the phenyl ring, see Figure 1.

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Figure 1. Molecular structure of Mn(III) tetra(fluorophenyl) porphyrin-tetracyanoethenide. R, R', R" labels denote para, ortho and meta positions of the phenyl ring, respectively.

For these compounds interesting magnetic properties were reported at low temperatures $6,7$  and even liquid crystalline properties<sup>8</sup> above room temperature. In spite of the long interchain distance ∼30 Å, [a](#page-10-0) transition into magnetically ordered s[ta](#page-10-0)te was observed at about 10−20 K for all these substitutions. In the course of further studies special attention was paid to the fluorine atom attached at different positions of the phenyl ring. It was interesting to see how the strongly electronegative fluorine ion influences magnetic exchange and anisotropy of Mn(III) ion. Compounds with para and ortho substitutions of F were studied also by Miller and co-workers. They reported that para-F compound exhibits a magnetic phase transition at  $T_c = 28$  K and that the intrachain value of exchange integral  $J$  for this compound is large, above 300 K.<sup>4</sup> (*J* is defined by the Hamiltonian  $\mathcal{H} = -J S_i S_j$ .) For *ortho-*F an anomaly of ac magnetic susceptibility at 12.5 K was observe[d](#page-10-0) and interpreted as antiferromagnetic transition. $5$  Consistent results for *para*-F compound were obtained by Balanda et al.<sup>7</sup> , but as for the ortho-F substitution, the antif[e](#page-10-0)rromagnetic transition was not confirmed by these researchers. Instead, t[he](#page-10-0) compound was reported to be a SCM.<sup>9</sup> The character of magnetic relaxations in ortho-F was investigated, and it was shown that they have the soliton character.<sup>[10](#page-10-0)</sup> In continuation of these studies the fluorine atom was substituted at the meta position. As we will show in this re[por](#page-10-0)t, the compound obtained shows 3D glassy transition at  $T_c = 10$  K, which is typical for this family of compounds. The nature of the glassiness observed may be connected with the 3D- domain wall pinning $^{\rm 11}$  or with growing of fractal clusters as proposed by Etzkorn et al.<sup>12</sup> Slow relaxations were observed near transition and down t[o](#page-10-0) the lowest temperature attainable (1.8 K). With increasing ap[pli](#page-10-0)ed dc magnetic field these relaxations became similar to those observed for the ortho-F compound. Quite recently a paper of Pini et al. has appeared<sup>13</sup> (see also ref 14) describing the effects of an applied magnetic field and finite size of chains for SCM. Their  $\chi_{ac}(T)$  cur[ve](#page-10-0)s have two maxima: [the](#page-10-0) low temperature one is frequency dependent, and the high temperature one is not. This behavior, although similar at first

sight, just differs in the last point from the behavior observed in the present work. It should be noted that slow relaxations below critical temperature  $T_c$  were confirmed by reports of SCM-like behavior in an ordered magnetic phase of compounds consisting of antiferromagnetically coupled chains of  $\text{Mn(III)}_2-\text{Ni(II)}^{15}$  or  $\text{Mn(III)}-\text{Ni(II)}$  units<sup>16</sup> as well as of ferromagnetically coupled chains of  $Co(II)$ -radical units.<sup>11,17</sup>

The question a[ris](#page-10-0)es about the character [o](#page-10-0)f relaxations observed in this work. As known, spin dynamics of qua[si-1D](#page-10-0) magnetic systems above  $T_c$  is governed in general by spin solitons, breathers and spin waves. Solitons are bound states of spin waves, which may have energy lying below the spin wave band.<sup>18</sup> But in contradistinction to spin waves, they are localized excitations, which can freely move in the crystal lattice. Belo[w](#page-10-0)  $T_c$  a weak interchain coupling leads to a 3D ordered structure with static domains. Nonetheless, narrow solitons, called kinks, were experimentally observed both above and below phase transition temperature in quasi-1D systems.<sup>19</sup> It was also theoretically shown that, for weakly coupled chains, static solitons may occur in the ordered phase, orderi[ng](#page-10-0) of which is induced by pairing of solitons belonging to the same chain.<sup>20</sup> Morgunov et al.<sup>21</sup> observed spin soliton and standing spin wave resonances, which simultaneously appeared in ESR spect[ra](#page-10-0) of some chiral [2D](#page-10-0) and 3D molecular crystals in their ferromagnetic state. A powerful method, which allows direct study of a broad spectrum of magnetic excitations, is the high field, high frequency ESR (HF-ESR). We included HF-ESR spectroscopy for investigations of our Mn porphyrin-TCNE compounds. We were interested to compare excitation gaps for meta- and ortho-F compounds, the values of which should reflect difference in electronic parameters and a character of magnetic excitations. It is worth noting that HF-ESR was already used to study a Mn(III) porphyrin complex MnTPPCl (Mn axially ligated by one Cl ligand).<sup>22</sup> As a result of this study the anisotropy gap  $\Delta$  was determined to be 6.9 cm<sup>-1</sup>, which gives the value of the single ion zero fi[eld](#page-10-0) parameter  $D = -\Delta/3 =$  $-2.29$  cm<sup>-1</sup> (-3.3 K).

The crystallographic and magnetic characterization of the meta-F compound, HF-ESR investigations of both meta- and ortho-F compounds and their comparative study is the aim of this work. We hope to shed light on the problem of coexistence of phase transition and slow relaxations in quasi-1D systems.

### 2. EXPERIMENTAL SECTION

2.1. Synthesis of Manganese(III) tetrakis(3-fluorophenyl)-<br>Enhyrin tetracyanesthenide (Schome 1), 2.1.1. Synthesis of  $1^{23}$ porphyrin-tetracyanoethenide (Scheme 1). 2.1.1. Synthesis of 1. Freshly distilled pyrrole (13.42 g, 0.2 mol) and 3-fluorobenzaldehyde (24.82 g, 0.2 mol) were added dropwise simultaneously to a boil[ing](#page-10-0) propionic acid (750 mL). Refluxing was c[o](#page-2-0)ntinued for 30 min, and the mixture was allowed to stand overnight at ambient temperature. The dark solution was filtered, and the solid was washed with methanol and water and dried. The crude solid was purified by column chromatography (silica, eluant  $CH_2Cl_2$ −hexane = 8:2) to get pure tetrakis(3-fluorophenyl) porphyrin (1) as a purple powder (5.5 g, 16%). <sup>1</sup>H NMR (CDCl<sub>3</sub>):  $\delta$  8.92 (s, 8H, pyrrole  $\vec{\beta}$ -H), 8.04 (m, 8H), 7.72 (m, 4H), 7.53 (m, 4H), −2.82 (bs, 2H). IR (film): 3434, 1644, 1612, 1215, 757 cm<sup>−</sup><sup>1</sup> .

2.1.2. Synthesis of  $2^{24}$  A solution of 1 (2.75 g, 4 mmol) and Mn  $(OAc)_2$ ·4H<sub>2</sub>O (9.8 g, 40 mmol) in dry N,N-dimethylformamide (30 mL) was refluxed unde[r ar](#page-10-0)gon (4 h) when thin layer chromatography (TLC) showed complete consumption of 1. The mixture was cooled to ambient temperature and poured into 1400 mL of ice-cooled brine solution when a solid precipitated. The solid was filtered, washed with distilled water (1500 mL) and dried. The green solid was dissolved in a minimum amount of methanol (350 mL), and the solution was poured

#### <span id="page-2-0"></span>Scheme 1



into aqueous 6 N HCl (350 mL). The solution was allowed to stand overnight, filtered, washed with water and dried in air. The brown colored solid was crystallized from a toluene−hexane mixture to afford pure tetrakis(3-fluorophenyl)porphyrin manganese(III) chloride (2) as a green crystalline solid (2.10 g, 68%).

2.1.3. Synthesis of  $3.^{25}$  Using a Schlenck apparatus the compound 2 (1.55 g, 2 mmol) was dissolved in dry methanol and dry pyridine, and to that  $N$ a $BH$ <sub>4</sub> w[as a](#page-10-0)dded. The mixture was then refluxed (30 min) and cooled to ambient temperature, argon purged methanol was added and the mixture was kept standing overnight. The mixture was filtered under inert atmosphere, washed with dry methanol and finally dried under vacuum to get a pink colored solid. The solid was dissolved in argon purged toluene, and a solution of tetracyanoethylene (0.512 g, 4 mmol) in argon purged toluene was added to it. The mixture was briefly stirred and kept standing for 4 days under argon without stirring. The precipitated dark solid was washed with argon purged toluene and dried under vacuum for 2 h to get a dark pink solid (0.560 g, 32%). IR (Nujol): 2198 (m), 2156 cm<sup>-1</sup>. .

Two kinds of material were obtained from synthesis: finely dispersed polycrystalline material and small crystallites. The crystallites were very brittle and broke down under a slight touch. For these studies mainly powdered crystallites were used.

2.2. Methods of Investigation. 2.2.1. Crystal Structure. The crystal structure was determined from X-ray data collection ( $2\Theta_{\text{max}}$  = 52.74°) on an Oxford Xcalibur diffractometer. The lattice parameters were refined by 5830 reflections ( $\Theta = 2.59 - 22.34^{\circ}$ ). The structure was solved by the direct method using SHELXS-97, and refinement was done with SHELXL-97. The H atoms were positioned with idealized geometry using a riding model with C−H = 0.93 Å, and  $U_{\text{iso}}(H)$  values were set equal to  $1.2U_{eq}(parent atom)$ .

2.2.2. Magnetic Ac and Dc Measurements. These measurements were performed with a Quantum Design SQUID magnetometer, model MPMS-XL5. The sample for measurements was powdered and pressed into a pellet in order to avoid the reorientation of grains in the external magnetic field. The data were corrected for the diamagnetic contribution as deduced with the use of a table of Pascal constants. One good shaped crystallite was chosen for magnetization measurements and secured in melted eicosane.

2.2.3. High-Field/High-Frequency Electron Spin Resonance (HF-ESR). These measurements were performed in the transmission Faraday geometry for two compounds, meta-F and ortho-F, for comparison. Measurements were done on loose powder samples. The small powder particles were self-oriented in the magnetic field during the measurements.

The meta-F compound was studied in Dresden. The measurements were done in a frequency range 332−528 GHz in static magnetic fields

up to 15 T using a homemade spectrometer based on a Millimeterwave Vector Network Analyzer (AB Millimetré).<sup>2</sup>

The ortho-F compound was studied in Sendai. The experimental setup is described in ref 27. Measurements wer[e p](#page-10-0)erformed in pulse magnetic fields. The time of the pulse was ∼10 ms.

## 3. CRYSTAL STRUC[TU](#page-10-0)RE DESCRIPTION

The crystal structure of the studied meta-F compound is shown in Figure 2; see also CIF file in Supporting Information. In Table 1 the crystallographic parameters are given. This structure belongs to the mon[oc](#page-3-0)linic space group  $C2/c$  [with four crystallo](#page-10-0)graphical[ly](#page-3-0) equivalent pairs of the porphyrin and TCNE molecules in the elementary crystal cell. These porphyrin-TCNE units are alternatively ordered along two symmetry related chains running parallel to diagonals of the  $a,b$  crystal cell wall. Thus, the angle between Mn−Mn bonds of two chains, as being equal to the angle between diagonals, equals 66°. It should be noted that the porphyrin planes are not exactly perpendicular to the Mn−Mn direction: the declination angle is 6.05°. Manganese atoms are located in the inversion center in a distorted octahedral coordination by 2N1 and 2N2 nitrogen atoms in the porphyrin plane and 2N3 atoms perpendicular to the plane. Because of the elongated Mn−N3 distance, the N3−Mn−N3 direction is expected to be the magnetic easy direction. The angle between the linear N3−Mn−N3 bonds of two chains is 53.9°. The two symmetry independent phenyl rings show statistical disorder. One phenyl ring is statistically distributed between two equilibrium orientations differing by 180°, and the second phenyl ring is disordered, as is well characterized via the high thermal parameters of some carbon atoms.

Two chain directions is the most distinguishing feature of the meta-F crystal structure. The ortho-F compound, as other compounds of this family, has only one chain direction. Also the character of disorder in ortho-F differs from that in meta-F. For the ortho compound the [TCNE]•<sup>−</sup> molecule is orientationally disordered with the minor form (20.5%) being rotated by 90° (in the same plane) with respect to the major form (79.5%). Besides, F in ortho-F is disordered over two sites on both sides of the phenyl ring in a similar proportion.<sup>28</sup>

<span id="page-3-0"></span>

Figure 2. Crystallographic structure of Mn(III) tetra(meta-fluorophenyl)porphyrin-tetracyanoethenide. The chain in the middle is inclined to the plane of the drawing in the opposite direction than the side chains.





Another structural difference between meta-F and ortho-F is a considerable anisotropy in the porphyrin plane for meta-F as can be seen from the comparison of Mn−N1 and Mn−N2 distances (Table 2).





<sup>a</sup>Three values for *ortho-F* are for the major, minor and the occupancy weighted average, respectively.<sup>5</sup> b) ihedral angle between mean planes. Numeration of atoms is according to CIF file in Supporting Information.

# [4. MAGN](#page-10-0)ETIC STUDIES

4.1. Static Properties. In Figure 3 the temperature dependence of dc magnetic susceptibility is presented in the form of the effective mag[ne](#page-4-0)tic moment defined as  $\mu_{\text{eff}} = (8\chi_{\text{mol}}T)^{1/2}$ . The measurement was done in a magnetic field of 1000 Oe. Ac susceptibility data measured at the frequency of 1 Hz and the amplitude of the driving magnetic field of 3 Oe (see the next section) are also shown for comparison. The high maximum of ac data is seen at the temperature of 7.5 K, a little lower than [the pos](#page-5-0)ition of dc maximum 8.0 K. At higher temperatures  $\mu_{\text{eff}}(T)$  dependence shows a minimum, as expected for a ferrimagnetic chain. This minimum (shallow, not seen in the scale of the figure) falls at the temperature ∼130 K, much lower than observed for the ortho-F compound, for which it falls at about

<span id="page-4-0"></span>

Figure 3. Temperature dependence of  $\mu_{\text{eff}} = (8\chi_{\text{mol}}T)^{1/2}$  for *meta*-F obtained in static magnetic field of 1000 Oe (open circles). Ac data are shown for comparison (open triangles connected by the dashed line). Inset: the same data presented as  $\ln(\chi_{\rm mol} T)$  vs reciprocal temperature. Solid lines are fits (see the text).

room temperature. In order to determine the exchange integral  $J$ , the Seiden model<sup>29</sup> was used, which is based on the isotropic Hamiltonian,

$$
\mathcal{H} = - J \sum_{i=1}^{N-1} [\vec{S}_{\mathrm{Mn},i} + \vec{S}_{\mathrm{Mn},i+1}] \vec{s}_{\mathrm{TCNE},i} \tag{1}
$$

where  $S_{Mn,i} = 2$  is the spin of Mn(III) ion and  $s_{TCNE,i} = 1/2$  is the spin of the tetracyanoethenide radical.

By fitting the data in the temperature range 30−300 K the value of *J* equal to  $-100 ± 8$  K was obtained in comparison with the value −217 K for the ortho-F compound. This considerable difference is consistent with the greater value of the bonding Mn−N−C angle and dihedral MnN<sub>4</sub>−[TCNE] angle between mean planes for the meta-F compound (see the last two lines in Table 2), according to magnetostructural correlations established by Miller et al. for this family of compounds.<sup>30</sup> In the inset to Figu[re](#page-3-0) 3 the same data are presented in another form  $\ln(\chi_{\text{mol}}\text{-}T)$  vs reciprocal temperature. T[he](#page-10-0) influence of the applied magnetic field is seen below 10 K. The linear part, observed in some temperature range, is in accord with the anisotropic Heisenberg model, which predicts the following relation:

$$
\chi_{\parallel} T \propto e^{\Delta_{\xi}/kT} \tag{2}
$$

valid for the parallel susceptibility, which, however, is dominant in this model.  $\Delta_{\xi}$  is the creation energy of a domain wall in the chain.<sup>31</sup> The value of  $\Delta_{\xi}$ , obtained from the linear fit, is equal to  $25 \pm 2$  K in comparison with the value of 60 K obtained for ortho-[F.](#page-10-0)

Figure 4 presents field cooling (FC) and zero field cooling (ZFC) magnetization data (normalized to the susceptibility) plotted as a function of temperature. At 10 K a sharp upraise of M/H is seen by decreasing temperature, which is the manifestation of a phase transition, and a bifurcation point appears at some lower temperature for every value of the superimposed dc magnetic field. The bifurcation point moves to lower temperature with increasing strength of the magnetic field. The falling low temperature part of the ZFC curve is common for all fields (compare  $\chi''$  behavior, Figure 9b). By the change of field from 50 up to 5000 Oe the bifurcation point for meta-F shifts from



Figure 4. Field cooling (monotonous dependences) and zero field cooling magnetization (curves with maximum) plotted as a function of temperature for meta-F in various static magnetic fields, strengths of which are given in oersteds.

5.8 to 3.0 K. For ortho-F by the same field change this shift is much smaller: from 4.8 to 4.0  $K^9$ 

As seen, there are some differences in FC vs ZFC behavior for meta-F in comparison with o[rt](#page-10-0)ho-F. There exists the common point of the divergence of all curves for various fields at 10 K. For small fields ZFC curves are not falling sharply down below the bifurcation point but they deviate still going up with decreasing temperature. This diverse FC vs ZFC behavior may be interpreted as domain wall pinning or by the presence of strongly interacting spin clusters.<sup>32</sup>

In Figure 5 ZFC magnetic hysteresis loops are shown, which were recorded at 1.8 K. One of [th](#page-10-0)e loops (smaller) is for the



Figure 5. ZFC magnetic hysteresis loops of meta-F recorded at 1.8 K. The smaller loop is for polycrystalline sample. The red line is extrapolation to intersection with the ordinate of  $3 \mu_{\rm B}$ . The greater loop is for a crystallite oriented to obtain the maximum value of the highest field magnetization. For the crystallite the minor loop was measured instead of the virgin curve. In the inset the virgin magnetization curve is shown together with its derivative.

polycrystalline material, the second one (greater) for a crystallite. The orientation of the crystallite was chosen to obtain a maximum value of magnetization at the highest magnetic field. As seen, the coercive field is 9.0 kOe, more than two times lower than observed for the ortho-F compound. No saturation is observed at 50 kOe, even for the crystallite at the chosen

<span id="page-5-0"></span>orientation. The virgin magnetization curve is shown in the inset to Figure 5 together with its derivative. Two peaks of the derivative are seen: one at 7.5 kOe and the second at 15 kOe. The relation of fields, being 1:2 at 1.8 K changes with increasing temperatu[re.](#page-4-0) This two-step magnetization curve seems to be related to the presence of two families of chains in the meta-F compound. The lower field reverses one family and then a higher external field is required to reverse the second family, because the external field is partially compensated by molecular field.

The extrapolation of the high field magnetization of the polycrystalline sample to its expected saturation value $^{33}$   $g\mu_{\rm B} \rm S_T$ gives the anisotropy field  $H_a$ = 85 kOe, at  $g = 2.0$  and  $S_T = 3/2$ (Figure 5). This  $H_a$  value gives the estimation of the a[nis](#page-10-0)otropy energy per molecule,

$$
K_{A} = \frac{1}{2} (g_{Mn} S_{Mn} - g_{TCNE} s_{TCNE}) \mu_{B} H_{a}
$$
 (3)

equal to 8.5 K. By formally equating  $K_A = DS_{Mn}^2$  the zero field splitting parameter of the single  $Mn(III)$  ion  $|D| = 2.1$  K is obtained. It should be noted that eq 3 was used for the case of two directions of anisotropy, which, however, for a powder sample at saturation should be correct. For ortho-F the analogous procedure gives  $H_a = 117.6$  kOe, thus  $K_A = 11.8$  K and  $|D|$  =2.95 K.<sup>9</sup>

4.2. Dynamic Properties. 4.2.1. Dc Measurements. Magnetizati[on](#page-10-0), when observed in a long time scale, is not the static property. In Figure 6 the time dependence of thermo-



Figure 6. Thermoremanent magnetization of meta-F measured as a function of time at various temperatures. The time dependence at 3 K was measured with the waiting time 5 and 30 min. Solid lines are fits, see text. The values of M have no relation to those in Figure 7 because a new sample weight was used.

remanent magnetization is plotted vs logarithm of time. In this experiment the sample was first magnetized in field of 50 kOe, then the field was off and the magnetization was measured as a function of time at various temperatures. The curves in Figure 6 look differently than the analogous data for the ortho-F compound.<sup>9</sup> The data for the *meta*-F compound can be fitted using the following relation:

$$
M_{\rm trm} = \sigma_0 + M_0 e^{-(t/\tau)^{1-n}} + a \ln t \tag{4}
$$

where  $n \approx 0.5$ ,  $a \approx -0.04$ .

The above relation contains many fitting parameters ( $\sigma_0$ ,  $M_0$ , n,  $\tau$ , a), but the additional a·ln (t) term is necessary to obtain a good fit. The presence of this term means constant in time and homogeneous activation energy distribution. The factor a has meaning of magnetic viscosity, which is a spin glass property. Here, the glassiness may originate from the domain wall pinning.<sup>34</sup> There is no waiting time dependence (as checked for 5 and 30 min, see the curve at 3 K), being a characteristic propert[y o](#page-10-0)f spin glasses.<sup>35</sup>

Let us see now how the superimposed dc field influences the time dependences. In [th](#page-10-0)is experiment the field was not completely off. The corresponding plots obtained in the bias field of 1000 Oe are shown in Figure 7. All these dependences can be nicely fit with eq 4 without the  $ln(t)$  term.



Figure 7. Magnetization of meta-F as a function of time measured at various temperatures and in the superimposed dc magnetic field of 1000 Oe. Measurement started after switching the field from 50 to 1 kOe. Solid lines are fits, see text.

From these fits the average relaxation time  $\tau$  was obtained. Reciprocal temperature dependence of  $\ln \tau$  is shown in Figure 13 together with the corresponding ac data. From the slope of this plot the activation energy  $E_a$  can be determined according [to](#page-7-0) the Arrhenius equation:

$$
\tau = \tau_0 e^{E_a/kT} \tag{5}
$$

The fitted parameters are  $E_a = 64 \pm 5$  K and  $\tau_0 = (1.9 \pm 0.6) \times$  $10^{-8}$  s.

4.2.2. Ac measurements. Figure 8a presents temperature dependence of the ac susceptibility of meta-F, measured for various frequencies with no superim[po](#page-6-0)sed dc magnetic field. Here, it is seen that both  $\chi'$  and  $\chi''$  maxima move to higher temperature with increasing frequency and, while the maximum value of the  $\chi'$  component decreases with increasing frequency, the maximum value of  $\chi''$  remains almost constant. When dc magnetic field is superimposed, both ac susceptibility components are quickly suppressed, which is shown in Figure 8b for the constant frequency of 10 Hz.

How frequency characteristics change in a superimpo[se](#page-6-0)d dc magnetic field is separately shown in Figure 9. As is seen, these characteristics differ remarkably from those obtained in zero dc magnetic field. It looks like as if both  $\chi'$  and  $\chi''$  were composed of two constituents. The first one, with its  $\chi'$  maximum near 8.5 K in small field, is weakly (or not) dependent on frequency. It slightly moves with increasing dc field to higher temperatures (9.0 K in 1000 Oe) and being strongly suppressed in a field of 1000 Oe is expected to disappear with further field increasing, see Figure 9c (its  $\chi''$  companion disappeared earlier). The

<span id="page-6-0"></span>

Figure 8. Temperature dependence of both components  $\chi'$  and  $\chi''$  of the ac magnetic susceptibility of meta-F compound measured for various frequencies at zero static magnetic field (a) and for various static superimposed magnetic fields at the constant frequency of 10 Hz (b). The amplitude of the driving magnetic field  $H_{ac}$  is 3 Oe.



Figure 9. Temperature dependence of both components  $\chi'$  and  $\chi''$  of the ac magnetic susceptibility of meta-F compound measured for various frequencies at four static magnetic fields, 100 Oe (a), 300 Oe (b), 500 and 1000 Oe (c). Note, that panels a and b have the same legend. The amplitude of the driving magnetic field  $H_{ac}$  is 3 Oe.

frequency dependence is associated mainly with the second constituent, which separates from the first  $\chi'$  constituent moving together with the accompanying frequency dependent  $\chi''$ constituent to lower temperatures. It can be seen that this  $\chi''$ constituent (at least in fields below 500 Oe) increases with increasing frequency, which is at variance with the case of zero dc field.

It is worth noting that poorly crystallized powder samples (with grain size close to one-domain nanoparticles) from another synthesis batch show ac behavior in zero dc field, which is like ac behavior in nonzero field described above. It means their ac characteristics in zero field are like this in Figure  $9b$ .<sup>36</sup>

It is also interesting to see relaxations in the frequency domain. Figure 10 presents frequency dependences of  $\chi'$  and  $\chi''$ measured for various temperatures without (a) and with dc bias

field (b). As seen in panel a there is a broad distribution (one can discern two distributions) of relaxation times, however, in



Figure 10. Frequency dependence of ac susceptibility for meta-F measured at various temperatures. (a) Data obtained in zero dc bias field. (b) Data obtained in dc bias field of 300 Oe. Solid lines are guides for eye.

the bias field of 300 Oe (see panel b) the distribution drastically narrows and relaxation has a Debye character.

Narrowing of the distribution of relaxation times in field can be also shown by means of Argand diagrams. In Figure 11



Figure 11. Argand plots for meta-F obtained at various temperatures with no superimposed dc magnetic field.

Argand diagrams for meta-F obtained with no superimposed magnetic field are shown for various temperatures. As is seen, the distribution of relaxation times is very broad. Again, two distributions can be differentiated, as is seen, e.g., for  $T = 7.5$  K. The width of distribution can be characterized by the parameter α, obtained from fitting arcs of the  $(1 - \alpha)\pi$  size to the  $\chi''$  vs  $\chi'$ data. When dc magnetic field is applied, the distribution drastically narrows and only one distribution is present, as shown in Figure 12a for  $T = 5.5$  K. In dc field of 1000 Oe  $\alpha$ equals 0.24. The values of  $\alpha$  obtained for meta-F can be compared with t[he](#page-7-0)  $\alpha$  value for the ortho-F compound. The latter one equals 0.12, see Figure 12b, and is completely independent of temperature. The value of  $\alpha$  expected for the ideal single chain magnet should [be](#page-7-0) equal to zero (single relaxation time), but for the real single chain magnets such values as ∼0.12 were reported in literature for powder samples.<sup>37,38</sup>

<span id="page-7-0"></span>

Figure 12. Comparison of Argand plots for meta-F compound obtained at 5.5 K in various dc magnetic fields (a) and for ortho-F obtained at various temperatures in 0 Oe dc field (b). The arcs are fits to the data.

Using the data shown above, temperature dependence of the relaxation time can be determined. Taking the temperature for the maximum of  $\chi''(T)_{f,H}$  curves measured by fixed f and bias field H and assuming that the relaxation time at the temperature of maximum is equal to  $1/(2\pi f)$ , the diagram presenting  $ln(\tau)$  vs reciprocal temperature can be constructed. In Figure 13 four linear dependences obtained from ac high



Figure 13. Natural logarithm of the relaxation time vs reciprocal temperature dependence for meta-F compound. The high temperature data (red color) were obtained from ac susceptibility measurements. The left (most steep) line was obtained in zero bias magnetic field, and the other three lines were obtained for nonzero bias magnetic fields. Dc data are also shown (see section 4.2.1). Solid lines are fits.

temperature data (above 4 K) ar[e sh](#page-5-0)own and compared with the low temperature dc SQUID data obtained below 3 K in dc field of 1000 Oe. One of the ac dependences refers to zero bias dc field, and the other ones refer to the case of the bias dc field equal to 100, 200, and 300 Oe.

As seen, the slope of ac curves changes drastically with the bias field increasing from 0 to 100 Oe. Fitting ac dependences to the Arrhenius equation the values of the activation energy  $E_a$ are obtained. For zero bias field the value of  $E_a$  equals 265  $\pm$  5 K. The very low value of  $\tau_0 = 7.8 \times 10^{-20}$  s is nonphysical. The values of  $E_a$  obtained for three nonzero values of bias field are

much lower and all are equal to 84  $\pm$  2 K. The values of  $\tau_0$  are  $~1.2 \times 10^{-9}$  s.

4.3. HF-ESR Study. HF-ESR measurements were undertaken to determine excitation gaps for meta-F and ortho-F compounds and thereby to get more insight into the relaxation character of these compounds. It should be noted, however, that in large magnetic fields, typical for HF-ESR, chains are effectively decoupled, thus only properties of individual chains are probed. The ESR spectra were measured at various frequencies and various temperatures.

4.3.1. meta-F Compound. Typical ESR spectra of the powder sample of *meta*-F compound measured at  $T = 4$  K and various frequencies are shown in Figure 14a.



Figure 14. HF-ESR spectra of meta-F compound obtained at the temperature of 4 K for various frequencies (a) and at the frequency of 372 GHz for various temperatures (b). Panel a additionally contains frequency vs resonance magnetic field dependence (blue squares, experimental points; red line, linear fit).

The spectra comprise one intense transmission line, which narrows by decreasing excitation frequency  $\nu$ . Variation of  $\nu$ with field yields a linear shift of the resonance field  $H_{res}$ . This dependence is plotted in Figure 14a. The linear extrapolation to zero magnetic field gives the zero field splitting (gap)  $\Delta_{ESR}$  = 336 GHz (16 K).

A representative set of the ESR spectra of the meta-F sample measured at constant frequency  $\nu = 372$  GHz and various temperatures is presented in Figure 14b. Here, a shift of the spectral weight to higher magnetic fields at higher temperatures takes place. Such a shift is a result of the thermal activation of the higher energy spin states with rising temperature and indicates a negative sign of the axial magnetic anisotropy of the chain.<sup>39,40</sup>

4.3.2. ortho-F Compound. ESR spectra measured for ortho-F are presented in Figure 15. Figure 15a shows spectra ob[taine](#page-10-0)d at various frequencies at the temperature of 4.2 K. The small oscillations seen in the figure are [ext](#page-8-0)rinsic and due to some interference of the samp[le](#page-8-0) [c](#page-8-0)ell. Except for that, two characteristic features are seen. The first of them is the line width broadening at decreased resonance field. This is often caused by anisotropy in the plane normal to the principal axis of D; here, however, this anisotropy is lower than for the meta-F compound (see crystallographic data), which does not show the broadening but narrowing effect. The second feature is a small splitting of the line, which is well seen in Figure 15 at the lowest temperature of 4.2 K. Figure 15b shows the spectra at a constant frequency of 357 GHz obtained for various [te](#page-8-0)mperatures. Here it is seen that the line [be](#page-8-0)comes broader and disappears with increasing temperature and no clear absorption is

<span id="page-8-0"></span>

Figure 15. HF-ESR spectra of ortho-F compound obtained at various frequencies at the temperature of 4.2 K (a) and at the frequency 357 GHz for various temperatures (b). Panel a additionally contains frequency vs resonance magnetic field dependence (blue squares, experimental points; red line, linear fit).

found at 50 K. The observed splitting of the line seems to be connected with the crystallographic structure in which the [TCNE]<sup>−</sup> group has two orientations with the probability ratio 4:1.<sup>5</sup> The linear extrapolation of the mode gives the zero field splitting of  $\Delta_{\rm ESR}$  = 314  $\pm$  3 GHz or 15.0 K (average of two pea[ks](#page-10-0)), see Figure 15a.

#### 5. DISCUSSION

Both chain compounds investigated in this work show slow relaxations. While the meta-F compound shows the transition to the glassy ferromagnetic state at  $T_c = 10$  K and in the applied dc field the SCM behavior, the ortho-F compound is a typical SCM. The question arises, what is the reason for such a difference, the more that intrachain magnetic interaction in meta-F is much weaker than in ortho-F. In response we would like to note that, first, in ortho-F we had finite chains in both ac and dc regimes, $\frac{9}{7}$  while in *meta*-F the chains might be infinite in the ac regime. Second, meta-F has a structure with two different chain di[re](#page-10-0)ctions for which stronger dipolar superspin interactions may develop.<sup>41</sup>

The glassy character of meta-F compound at zero dc field was revealed by time [dep](#page-10-0)endent dc magnetization measurements and confirmed by ac susceptibility measurements. Both methods demonstrated a broad relaxation time distribution. For [MnTPP]-  $[TCNE]\cdot 2(1,3-C_6H_4Cl_2)$ , belonging to the same compound family, Etzkorn et al. proposed the fractal cluster glass model, in which slow relaxations near the glass transition  $T_{\varrho}$  are due to magnetic viscosity caused by interchain interactions.<sup>12</sup> We repeated the scaling analysis of Etzkorn et al., which led them to the above-mentioned conclusion. This analysis was ba[sed](#page-10-0) on the critical slowing down power law. However, we found results of scaling analysis not convincing because scaling with other laws gave also good overlapping of corresponding curves. In our opinion we are dealing with a true phase transition. Inclinations of spins due to different easy magnetic directions may favor ferromagnetic dipolar interchain interactions being responsible for 3D magnetic ordering.

The glassiness observed may be explained as due to 3Ddomain wall pinning resulting from interchain interactions and lattice defects.<sup>11,34</sup> The domains that form consist of coupled spins belonging to some number of adjacent chains. Domain relaxations co[ntrib](#page-10-0)ute to one of the two observed relaxation

time distributions, namely, to the longer time distribution. In the bias dc magnetic field the glassy character is lost when with increasing field the domain walls are swept away. The only existing relaxations are now those of SCM having the narrow time distribution.

In order to get insight into the spin dynamics of meta-F it is helpful to inspect the activation energies obtained from measurements. In general, the activation time for magnetization reversal can be described by three activation energies,  $E_A$ ,  $\Delta_{\xi}$ and  $\Delta_{\rm A}$ , which obey the equation

$$
E_{\rm A} = 2\Delta_{\xi} + \Delta_{\rm A} \tag{6}
$$

assuming that chains are infinite or

$$
E_{\rm A} = \Delta_{\xi} + \Delta_{\rm A} \tag{7}
$$

when chains are finite. Chains may be treated as finite when they are shorter than their correlation length, what may happen with decreasing temperature. These equations are well proved for Ising chains, where  $\Delta_A$  is the activation energy of a single anisotropic spin inside a narrow domain wall, where it sees no local field.<sup>37</sup> In the anisotropic Heisenberg model this value is still not well-defined. It should be related to anisotropy energy of a broa[d 1](#page-10-0)D domain wall.

If we assume that for meta-F at higher temperatures, in the ac regime, eq 6 is valid, then we have  $E_A = 84$  K,  $\Delta_{\xi} = 2 \times 25$  K, so  $\Delta_A$  = 34 K. At lower temperatures, in the dc regime when eq 7 is valid, then we have  $E_A = 64$  K,  $\Delta_{\xi} = 25$  K, so  $\Delta_A = 39$  K. For *ortho*-F we had the finite chains only, then  $E_A = 117$  K,  $\Delta_{\xi} =$ 60 K<sup>9</sup> and  $\Delta_A$  = 57 K. Assuming that the observed phase transition in meta-F is soliton induced, all  $\pi$  kinks should be paire[d](#page-10-0) below  $T_c$ . It would mean that for *meta*-F  $\Delta_{\xi}$  values near  $T_c$ (in the ac regime) should be taken with the factor 2.

The meta- and ortho-F compounds differ much with the exchange parameter J, which equals -100 K for meta-F and −217 K for ortho-F. Treating the ferrimagnetic chain as a ferromagnetic chain composed of identical units with the effective spin  $S_{\text{ef}} = 3/2$  one can estimate the exchange constant  $J_{\text{ef}}$  of such a chain. We used the following relation (eq 8) derived from the isotropic Hamiltonian (eq 9) of the ferromagnetic Heisenberg chain:<sup>42</sup>

$$
\chi_{\text{mol}} = N_{\text{A}} g^2 \mu_{\text{B}}^2 \frac{2}{3J_{\text{ef}}} \left(\frac{J_{\text{ef}} S^2}{k_{\text{B}} T}\right)^2 \tag{8}
$$

$$
\mathcal{H} = -J_{\text{ef}} \sum_{\langle i,j \rangle} S_i S_j \tag{9}
$$

The  $1/T^2$  behavior of eq 8 is right at low temperatures only. In fact, the Seiden model shows also  $1/T^2$  behavior at low temperatures, but we use eq 8 because it was derived from the simple Hamiltonian (eq 9) for which many other useful formulas were derived. In Figure 16 molar susceptibilities of meta- and ortho-F compounds as a function of  $1/T^2$  are presented. The interval of fitting was c[hos](#page-9-0)en so that its higher limit is below  $T_{\text{min}}$  and the lower limit is the same as used by fitting of the Seiden model. The following values of  $J_{\text{ef}}$  were obtained: 28  $\pm$  4 K for *meta*-F and 51  $\pm$  4 K for *ortho*-F, assuming g factor equal to 2. Using these values and assuming that the single ion anisotropy is comparable for both compounds, we see that for both compounds  $|D/J_{\text{ef}}| \ll 1$ .

Being beyond the Ising limit  $|D/J_{\text{ef}}| = 4/3^{37}$  both compounds cannot be SCM according to the original Glauber model. $43,44$ 

<span id="page-9-0"></span>

Figure 16. Molar susceptibility as a function of  $1/T<sup>2</sup>$  plotted for *meta*-F and ortho-F compounds. Solid lines are linear fits.

However, it was shown that SCM behavior also for  $|D/J| \ll 4/3$ is possible.<sup>37,45</sup> In the case of extremely small anisotropy,  $\Delta_{\xi}$ can be independently estimated using a simple expression:<sup>4</sup>

$$
\Delta_{\xi} \approx 2S_{\rm eff}^2 2J_{\rm ef} \cdot D^{1/2} \tag{10}
$$

Taking the earlier estimated values of D equal to 2.1 and 3.0 K this gives  $\Delta_{\xi} \approx 48.8$  and  $\Delta_{\xi} \approx 78.7$  K for *meta*- and *ortho-F* respectively. Although  $J_{\text{ef}}$  is much lower than the real  $J$ , the values of  $\Delta_{\xi}$  obtained are considerably greater than  $\Delta_{\xi}$  values found from measurements. In Table 3  $\Delta_{\xi}$  and other activation

Table 3. Comparison of Activation Energies Obtained from Ac/Dc Susceptibility and HF-ESR for meta-F and Selected Single Chain Magnets

compd syst		$E_{A}$ (K) $n \times \Delta_{\xi}$ (K) <sup>a</sup> $\Delta_{A}$ (K) <sup>a</sup> $K_{A}$ (K) <sup>b</sup> $\Delta_{ESR}$ (K)			
meta-F anis. Heisenberg	84 <sup>c</sup>	$2 \times 25$	34	8.5	16.1
	$64^d$	$1 \times 25$	39		
$ortho-F9$ anis. Heisenberg	$117^{c,d}$	$1 \times 60$	57	11.8	15.0
$[Mn^{III},Ni]^{37,44,47}$ Ising	$74^c$	$2 \times 28$	18	22.1	15.4
	$55^d$	$1 \times 28$	27		
$Mn$ <sup>III</sup> -TCNQ <sup>45</sup> anis.	$94.1^{c}$	$2 \times 26.5$	41.1	9.8	
Heisenberg	$\epsilon$ 77 $d$	$1 \times 26.5$	41.2		

 ${}^{\alpha}\Delta_{\rm A} = E_{\rm A} - n \times \Delta_{\xi}$  ${}^{\alpha}\Delta_{\rm A} = E_{\rm A} - n \times \Delta_{\xi}$  ${}^{\alpha}\Delta_{\rm A} = E_{\rm A} - n \times \Delta_{\xi}$ ; for infinite chains the factor *n* equals 2, otherwise  $K_{A}: B_{K_{A}:A}: B_{K_{A}:A}:$ magnetization and eq  $3.$   ${}^{c}$ Ac data.  ${}^{d}$ Dc data.

energies obtained ar[e](#page-5-0) given for comparison. In addition, literature values for the Ising system  $[Mn_2(saltmen)_2Ni(pa)_2$ - $(py)_2$ ](ClO<sub>4</sub>)<sub>2</sub> (abbreviated  $[Mn^{\text{III}}_2Ni])^{37,44,47}$  and anisotropic Heisenberg system  $[Mn(5-TMANsaltmen)(TCNQ)](ClO<sub>4</sub>)<sub>2</sub>$ (abbreviated  $Mn^{III}$ -TCNQ) are enclosed,<sup>45</sup> [w](#page-11-0)here saltmen = N,N′-(1,1,2,2-tetramethylethylene) bis(salicylideneiminate), pao = pyridine-2-aldoximate, py = pyridine[, 5](#page-11-0)-TMAMsaltmen = N,N′-1,1,2,2-tetramethylethylene bis(5-trimethylammoniomethylsalicylideneiminate, TCNQ = 7,7,8,8-tetracyano-p-quinodimethane.

The situation is the simplest and well established for  $[Mn^{III},Ni]$ . Because  $[Mn_{2}^{III}N_{i}]$  is a SCM system with  $|D/J| > 4/3$ , the considered spin clusters (1D domains) have extremely narrow walls of the one spin width. In such a case the activation energy  $\Delta_A$ (for spin reversal in the wall) should be equal to the single ion anisotropy energy  $DS^2$ . Looking in Table 3, in fact, we see rather good agreement of the average  $\Delta_A$  value, obtained from two temperature regimes (with finite and infinite chains, respectively), with  $K_A$  value obtained for  $[Mn_{2}^{III}N_i]$  compound from the saturation magnetization.<sup>37</sup> It is also worth noting a good fulfillment of eq 6 and 7 for the Heisenberg system Mn<sup>III</sup>-TCNQ, however, the  $\Delta_A$  value in t[his](#page-10-0) case is much greater than the  $K_A$  value.

Oshima et al. perfo[rm](#page-8-0)ed [H](#page-8-0)F-ESR study of  $[Mn^{III}_{2}Ni]$  single chain magnet $47$  and determined the value of the excitation gap at  $T = 1.5$  K. It equals 321 GHz (15.4 K). It is lower than the  $K_A$  value for [thi](#page-11-0)s compound and is near the gap values of our more strongly coupled systems. Because in the frequency-field diagram no series of lines with multiple value of  $g = 2$  appeared, the authors concluded that the observed mode is neither spin cluster excitation nor spin cluster resonance. This mode was attributed to the spin wave excitation obeying the ESR selection rule  $\Delta S_z = \pm 1$ . This conclusion was supported by theoretical analysis, which proved that spin wave excitation is lower in energy than spin cluster excitation if the single ion zero field splitting parameter  $|D_{Mn}|$  is lower than 5.7 K. However, by increasing the  $|D_{Mn}|$  value, spin wave excitation becomes greater in energy. This theoretical result of Oshima et al. is in agreement with an older paper of Johnson and Bonner,<sup>48</sup> where a linear ferromagnet with spin 1/2 in a small magnetic field was analytically treated in the whole anisotropy range be[tw](#page-11-0)een Ising and Heisenberg models and it was shown that for anisotropy lower than some specific value the dominant excitations are spin waves. For anisotropy greater than this specific value the dominant excitations are bound spin wave complexes.

The excitation gaps obtained from HF-ESR study for meta-F and ortho-F are comparable, equal to ∼16 K. This value is greater than the anisotropy energies  $K_A$  per molecule estimated from magnetization measurements 8.5 and 11.8 K for meta-F and ortho-F, respectively. However, it is much lower than the anisotropy gap  $\Delta_A$  obtained from magnetic ac/dc measurements. So large values of  $\Delta_A$  follow from the fact that both ortho-F and meta-F are anisotropic Heisenberg systems, which have spin clusters with broad domain walls (solitons). Therefore many spins may be involved in the dynamics of walls and no wonder that the activation energy  $\Delta_A$  of  $\tau_0$  is greater than  $DS^2$  (see also  $Mn$ <sup>III</sup>-TCNQ in Table 3).

Another reason that the  $\Delta_{\rm ESR}$  value is much lower than the  $\Delta_A$  value obtained from ac/dc measurements is that selection rules of ESR can choose the lowest energy excitations. In fact, Johnson and Bonner<sup>48</sup> showed that the effective magnetic excitation gap for the low temperature susceptibility at small magnetic fields corres[pon](#page-11-0)ds to the bound spin complexes in the whole anisotropy range.

For the time being, the question, why three different single chain magnet systems, meta-F, ortho-F and  $Mn_2Ni$ , have nearly the same value of the  $\Delta_{ESR}$  gap, is still open. This value, however, seems to be close to the single ion anisotropy of  $Mn<sup>3+</sup>$ ion.

#### 6. SUMMARY

The compound Mn(III) tetra(meta-fluorophenyl)porphyrintetracyanoethenide (meta-F) was synthesized and its crystal structure was determined. This structure is composed of ferrimagnetic chains. There are two chain directions, which correspond to two magnetic easy axis directions. The compound was studied by magnetic measurements and, together with the relative ortho compound, by HF-ESR. Magnetic properties of both compounds were compared. While the ortho-F compound is the single chain magnet, the compound meta-F shows a glassy ferromagnetic transition at 10 K. In applied dc magnetic field

<span id="page-10-0"></span>the domain walls, responsible for glassy behavior, are swept away, so magnetic relaxations acquire a narrow distribution of relaxation times and look as relaxations of a single chain magnet. Activation energies for soliton spin reversals and spin wave excitations were determined using ac susceptibility and HF-ESR techniques, respectively. It was concluded that meta-F and ortho-F compounds are Heisenberg systems with anisotropy, for which soliton excitations are higher in energy than spin wave excitations.

### ■ ASSOCIATED CONTENT

#### **S** Supporting Information

Crystallographic data in CIF format. This material is available free of charge via the Internet at http://pubs.acs.org.

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#### Notes

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